

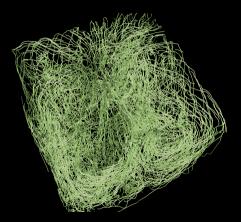


Distributed Data Analysis at Scale

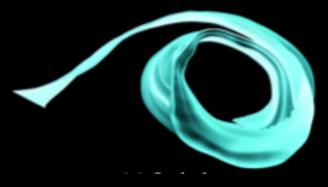
"Data movement, rather than computational processing, will be the constrained resource at exascale." — Dongarra et al. 2011.

EDF-INRIA Seminar June 24, 2016

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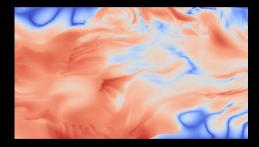
Examples



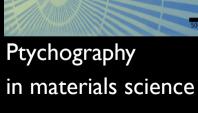
Streamlines and pathlines in nuclear engineering

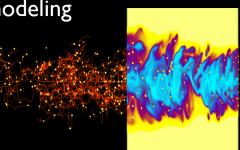


Stream surfaces in meteorology

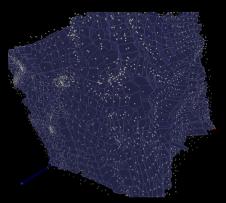


FTLE in climate modeling





Morse-Smale complex in combustion



Voronoi and Delaunay tessellation in cosmology

Communication Design Patterns

Analysis	Application	Application Data Model	Analysis Data Model	Analysis Algorithm	Communica tion	Additional
Particle Tracing	CFD	Unstructured Mesh	Particles	Numerical Integration	Nearest neighbor	File I/O, Domain decompositi on, process assignment, utilities
Information Entropy	Astrophysics	AMR	Histograms	Convolution	Global reduction, nearest neighbor	
Morse-Smale Complex	Combustion	Structured Grid	Complexes	Graph Simplification	Global reduction	
Computational Geometry	Cosmology	Particles	Tessellations	Voronoi	Nearest neighbor	

You do this yourself

Can use serial libraries such as OSUFlow, Qhull, VTK

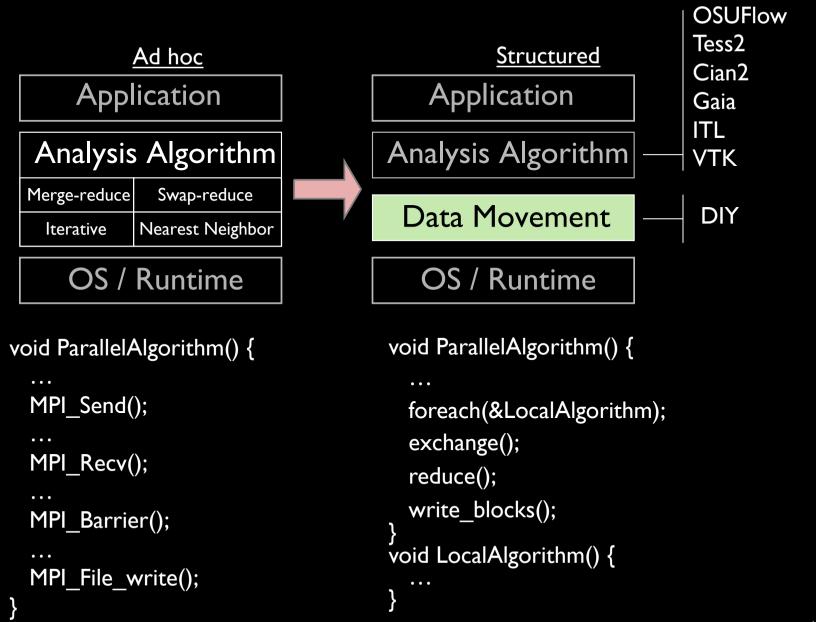
(don't have to start from scratch)

DIY handles this

Keys:

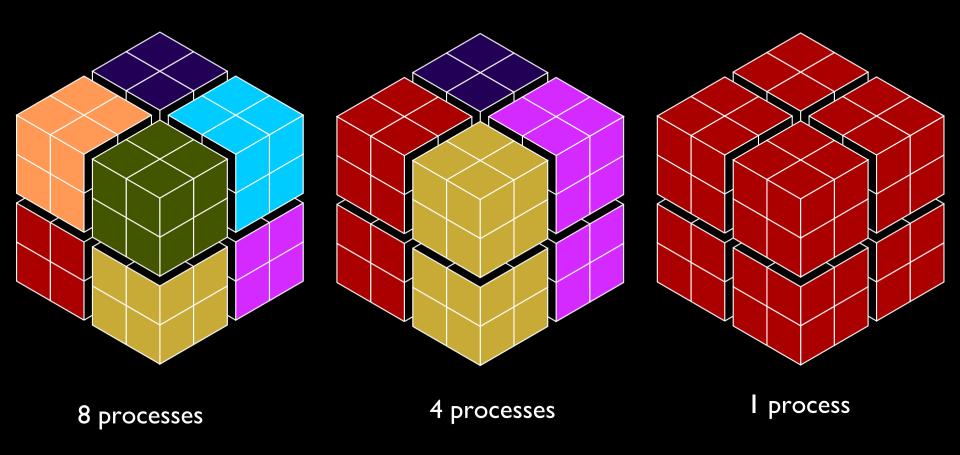
- Separate custom application code from reusable communication
- Recognize that diverse applications use a common set of design patterns.

A Data Movement Library for HPC Data Analysis



Basic Concepts

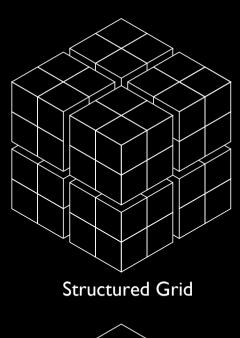
Block Parallelism

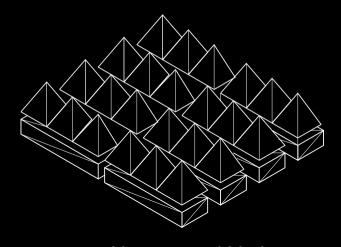


Blocks are units of work and communication; blocks exchange information with each other using DIY's communication algorithms. DIY manages block placement in MPI processes and memory/storage. This allows for flexible, high performance programs that are easy to write and debug.

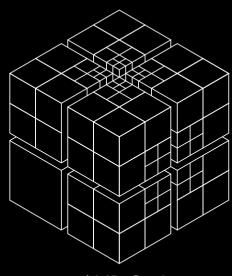
Partition Data Into Blocks

The block is the basic unit of data decomposition. Original dataset is decomposed into generic subsets called blocks, and associated analysis items live in the same blocks. Blocks don't have to be "blocky." Any subdivision of data (eg., a set of graph nodes, a group of particles, etc.) is a block.

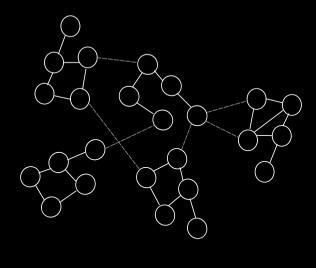




Unstructured Mesh



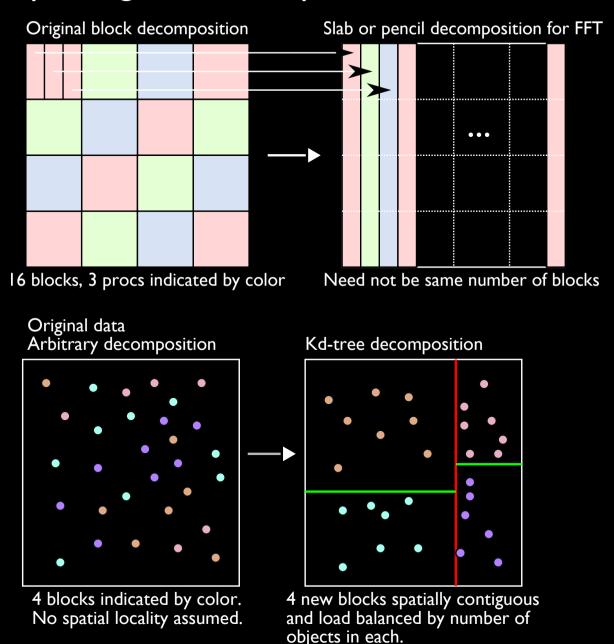
AMR Grid



Graph

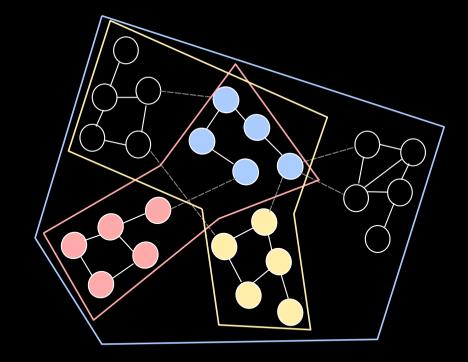
Multiple Regular Decompositions

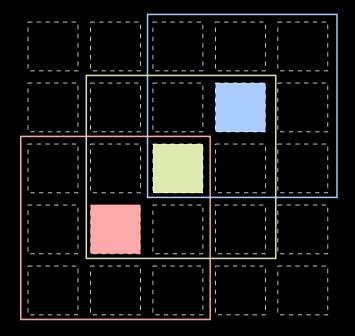
- Decomposition
 can be a regular
 grid of blocks or a
 k-d tree.
- 2. For a regular grid, constraints on numbers of blocks can be imposed to get pencil or slab shapes.
- Multiple decompositions can co-exist.

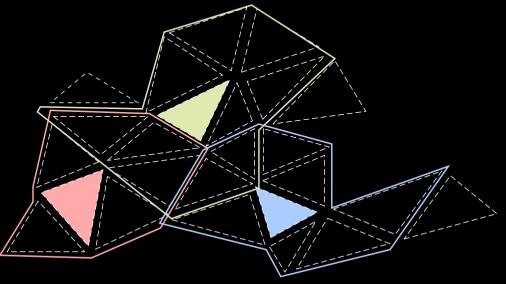


Neighborhood Links

- Limited-range communication
- Allow arbitrary groupings
- Distributed, local data structure and knowledge of other blocks (not master-slave global knowledge)







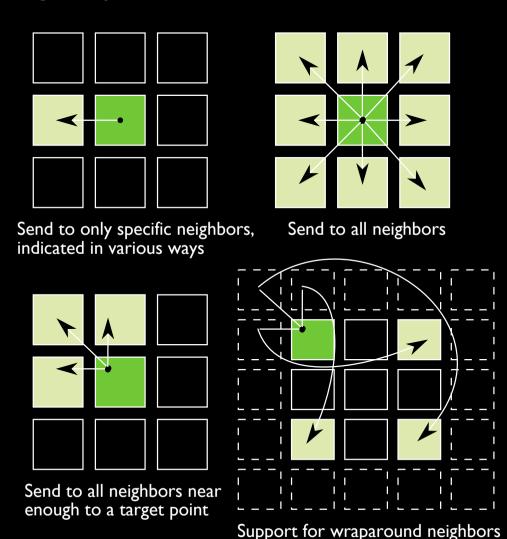
Examples of 3 neighborhoods in a regular grid, unstructured mesh, and graph.

Different Neighborhood Communication Patterns

DIY provides point to point and different varieties of collectives within a neighborhood via its enqueue/exchange/dequeue mechanism.

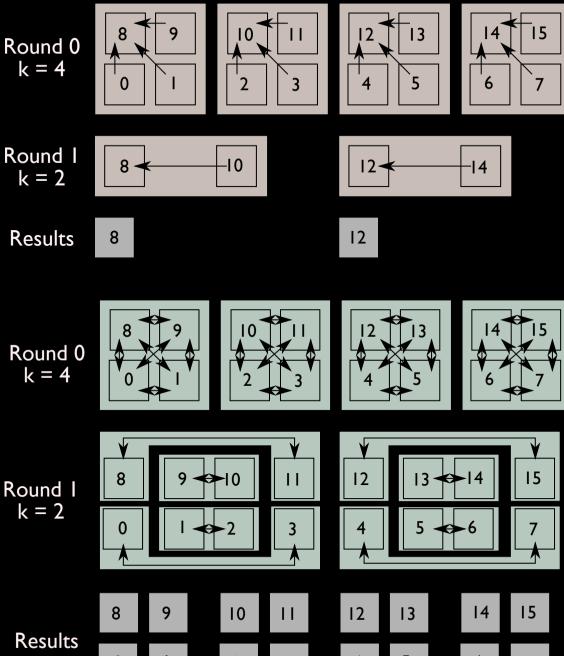
How to enqueue items for neighbor exchange

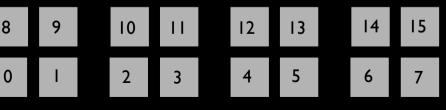
- DIY offers several options
- Send to a particular neighbor or neighbors, send to all nearby neighbors, send to all neighbors
- Support for periodic boundary conditions



(periodic boundary conditions)

Global Round 0 Communication k = 4**Patterns** Round I k = 2Merge-reduce Results Round 0 k = 4





```
// initialization
                         master(world, num threads, mem blocks, ...);
Master
ContiguousAssigner
                        assigner(world.size(), tot blocks);
decompose(dim, world.rank(), domain, assigner, master);
// compute, neighbor exchange
master.foreach(&foo);
master.exchange();
// reduction
RegularSwapPartners(dim, tot blocks, k);
reduce(master, assigner, partners, &foo);
// callback function for each block
void foo(void* b, const Proxy& cp, void* aux)
  for (size_t i = 0; i < in.size(); i++)
     cp.dequeue(cp.link()->target(i), incoming_data);
  // do work on incoming data
  for (size t i = 0; i < out.size(); i++)
     cp.enqueue(cp.link()->target(i), outgoing data[i]);
```

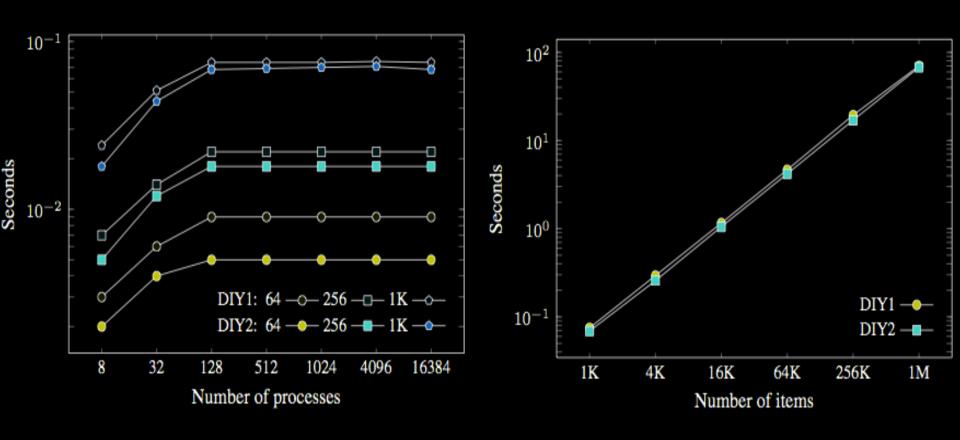
Example Usage

Performance Matters

Benchmark Results and Full Applications

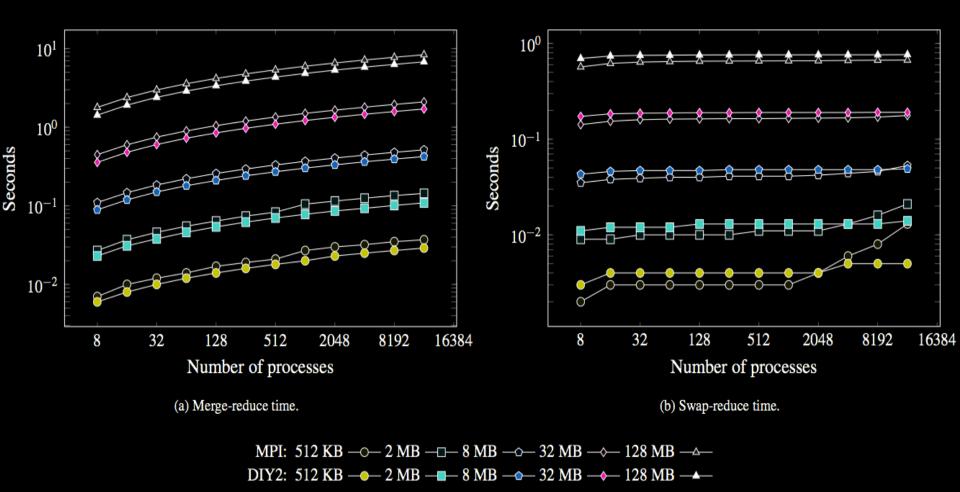
Neighbor Exchange Benchmark

We stress tested our neighbor exchange algorithm for a large number of small (20-byte) items exchanged.



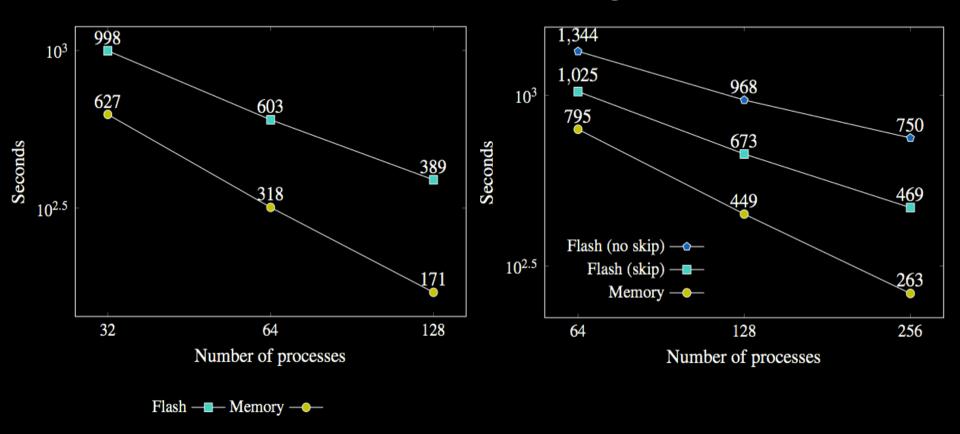
Conclusion: Linear complexity with total data size even though the data are divided into many small items. The user does not need to worry about aggregating data.

Global Reduction Benchmarks



Communication time only for our merge algorithm compared with MPI's reduction algorithm (left) and our swap algorithm compared with MPI's reduce-scatter algorithm (right).

Automatic Out-of-Core Algorithms

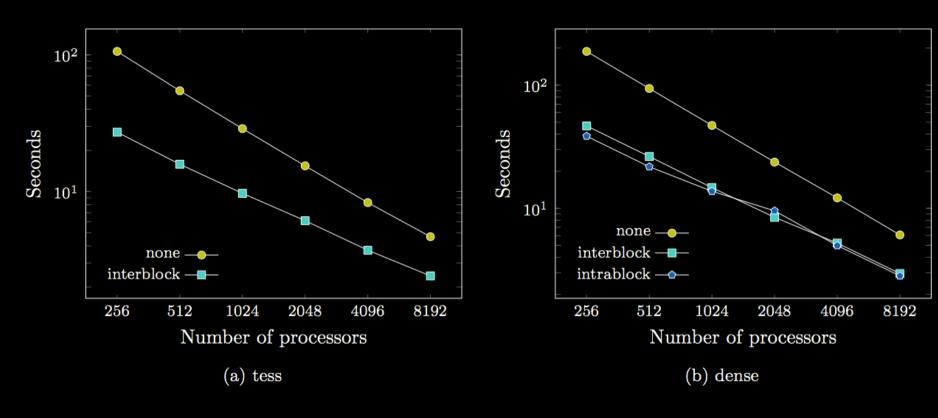


In- and out-of core performance of Delaunay tessellation.

In- and out-of-core performance of distance field computation for watershed segmentation.

No source code changes required to switch between in-core and out-of-core.

Automatic Multithreaded Algorithms

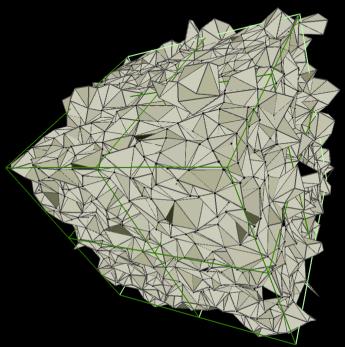


Automatic threading of Voronoi tessellation.

Comparison between manual and automatic threading of density estimation.

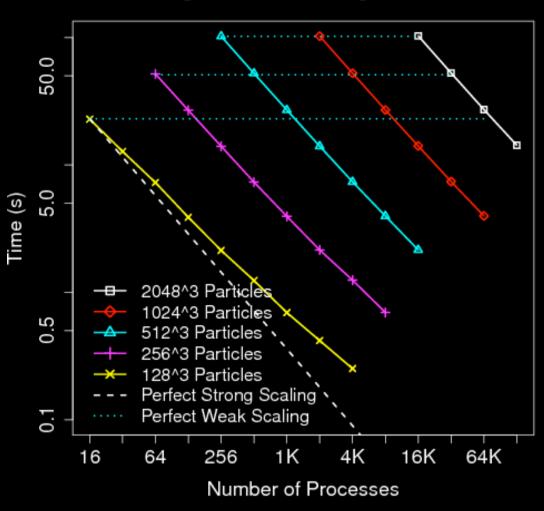
No source code changes required to switch between single and multithreaded.

Computational Geometry in Cosmology



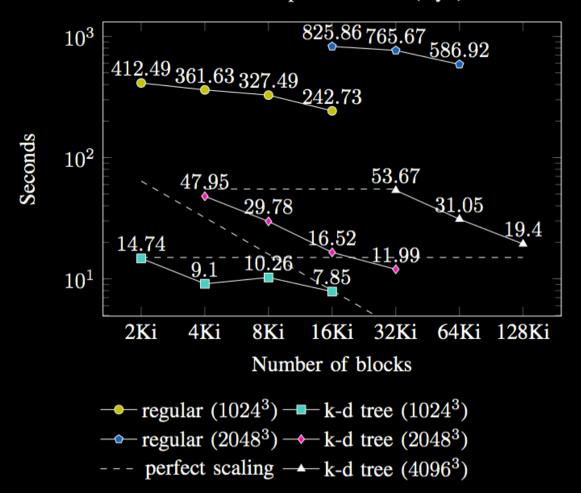
to 2048³ synthetic particles and up to 128K processes (excluding I/O) shows up to 90% strong scaling and up to 98% weak scaling.

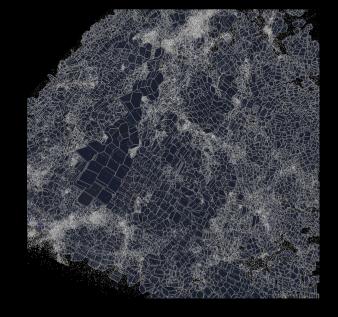
Strong and Weak Scaling



Load Balancing in Cosmology

Total computation time (Nyx)



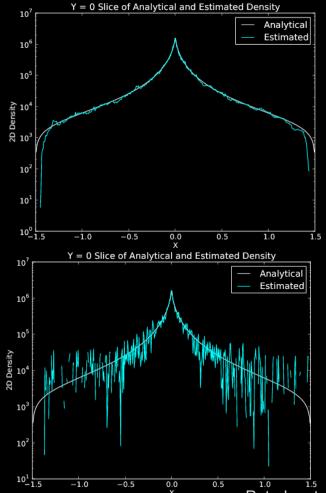


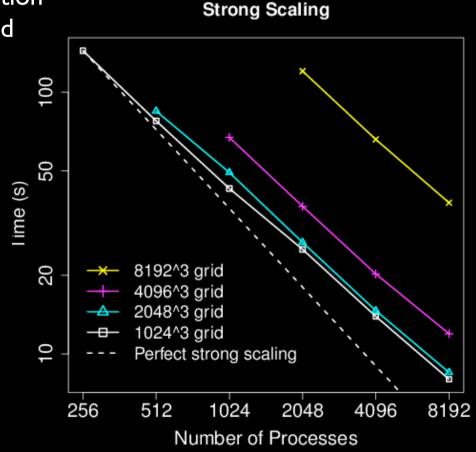
Cosmology simulations have severe load imbalance.
Tessellating meshes using a k-d tree instead of regular grid results in dramatically improved performance.

Density Estimation in Cosmology

Tessellation-based density estimation is parameter free, shape free, and

automatically adaptive





Above: Strong scaling of estimating the density of 512³ synthetic particles onto grids of various sizes.

Left: comparison of tessellation-based and CIC density

Recap

Block Parallelism

Block abstraction for parallelizing data analysis allows one to:

- Decompose data into blocks
- Assign blocks to processing elements
- Have several decompositions at once
- Overload blocks, migrate blocks between processing elements
- Communicate between blocks
- Migrate blocks in and out of core
- Thread blocks with finer-grained processing elements

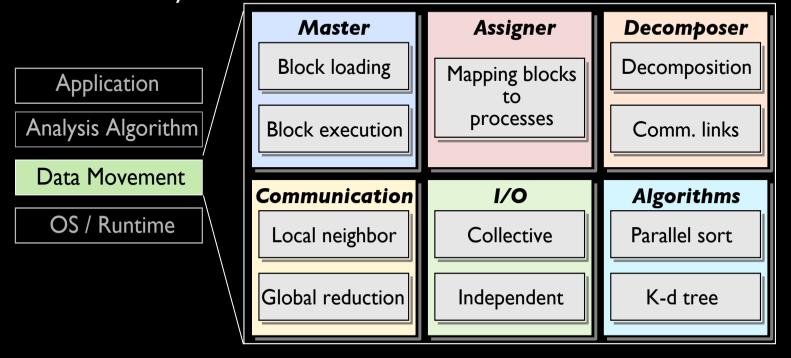
All made possible by choosing blocks as the parallel abstraction

Think Blocks!

Tom Peterka, ANL Dmitriy Morozov, LBNL github.com/diatomic/diy2

Software: DIY





DIY is a programming model and runtime for HPC block-parallel data analytics.

- Block parallelism
- Flexible domain decomposition and assignment to resources
- Efficient reusable communication patterns
- Automatic dual in- and out-of-core execution
- Automatic block threading

References

DIY Papers

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